

Molecular orbital Theory ÷

According to VBT, a molecule is ~~made up~~ ^{considered} to be made up of atoms. Electrons in atoms occupy atomic orbitals.

These may or may not be hybridised. If they are hybridized, atomic orbitals from the same atom combine to produce hybrid orbitals which can overlap more effectively with orbitals from other atoms, thus producing stronger bonds. Thus the atomic orbitals (or the hybrid orbitals) are thought to remain even when the atom is chemically bonded in a molecule.

→ In the MOT, the valency electrons are considered to be associated with all the nuclei in the molecule. Thus the atomic orbitals from different atoms must be combined to produce molecular orbitals.

→ Functioning of molecular orbitals may be obtained by two methods.

1. Linear combination of atomic orbitals (LCAO)
2. United atom method.

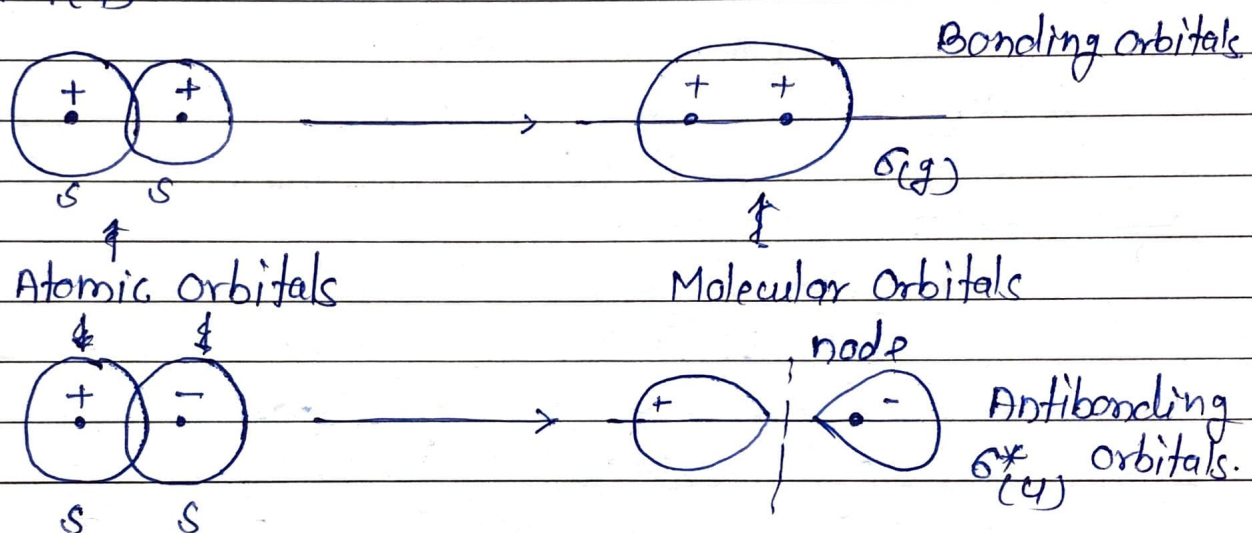
LCAO Method:

1. s-s combination of orbitals:

Two possible combinations.

- when the sign of ^{the two} wavefunctions are the same
- when the sign of the two wavefunctions are different.

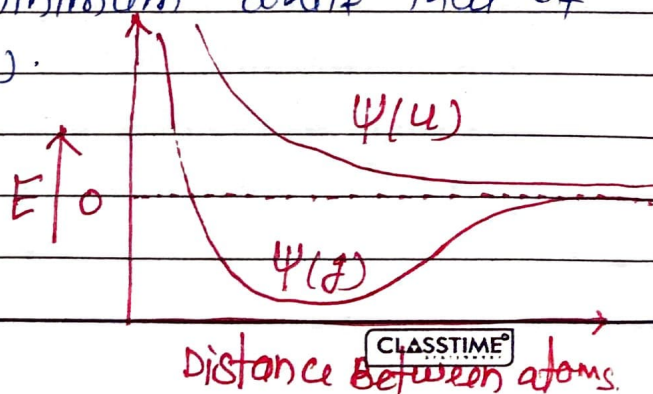
When a pair of atomic orbitals ψ_A and ψ_B combine they give rise to a pair of molecular orbitals ψ_g and ψ_u .



Gerade (g) and Ungerade (u) wavefunctions:

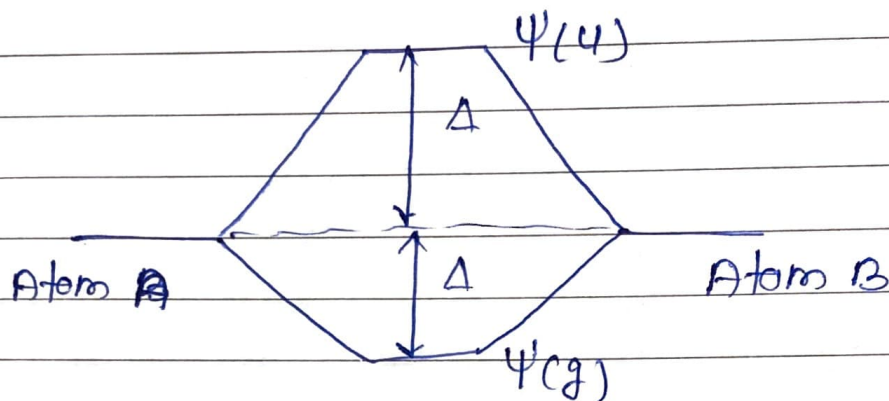
If the sign of the wave function is unchanged when the orbital is reflected about its centre (i.e. x, y and z are replaced by $-x, -y$ and $-z$) the orbital is gerade and if the sign of the wavefunction is changed then it's called as ungerade wavefunction.

→ The energy of ψ_g is minimum while that of ψ_u is more than ψ_g .



Energy of s-s combination of orbitals:-

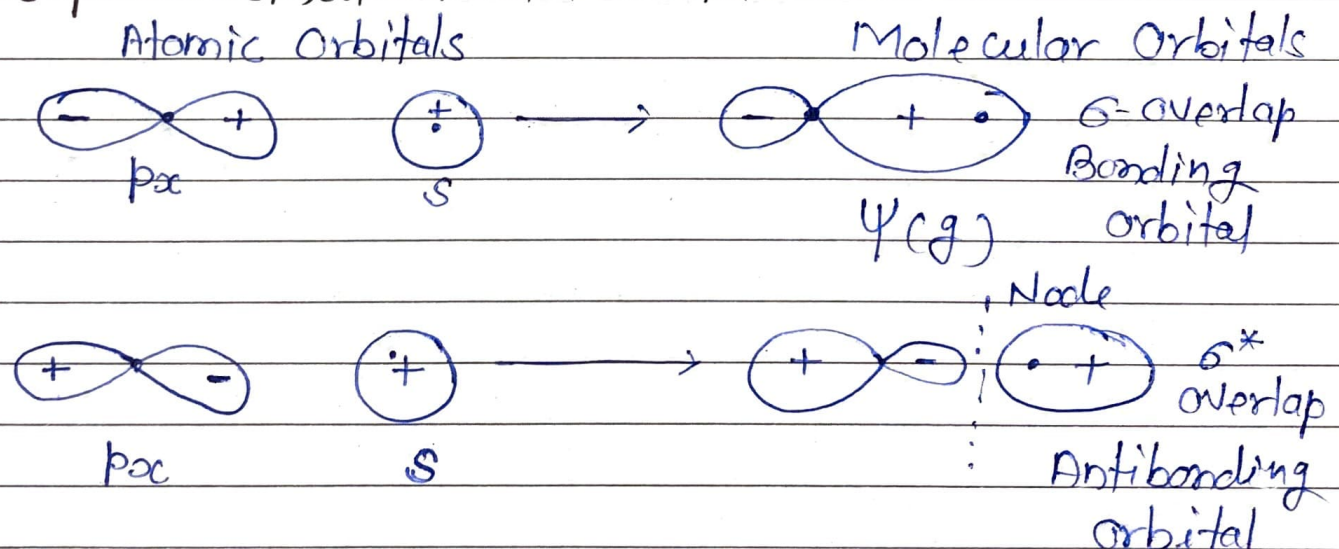
When s orbitals of two H atom combine they produce two molecular orbitals one is $\psi(g)$ and other one is $\psi(u)$



Δ = Stabilization energy

If Δ
 Negative $\rightarrow$ molecule forms
 Zero $\rightarrow$ molecule does not exist
 Positive $\rightarrow$

s-p combination of orbitals:-

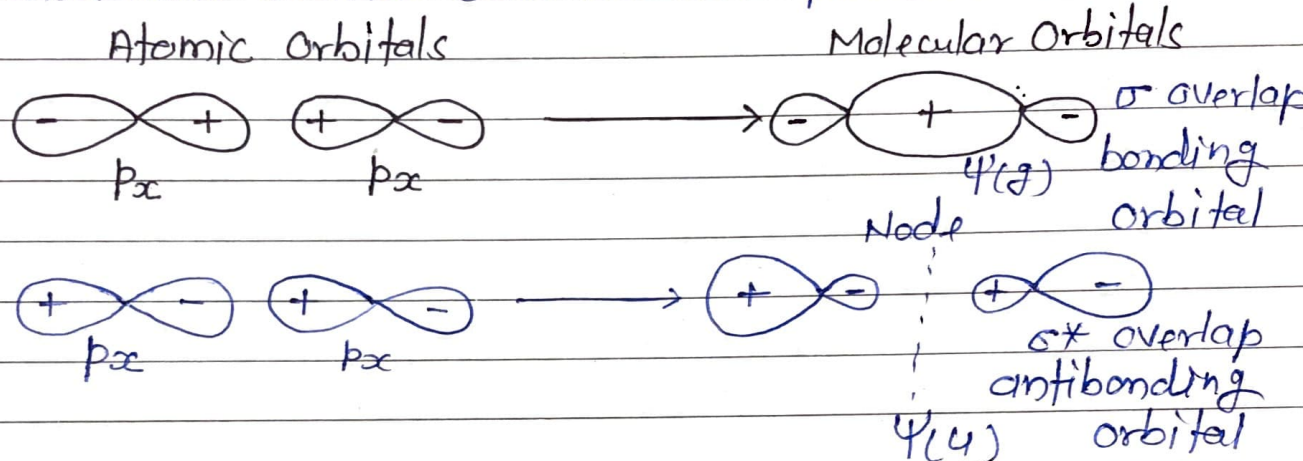


Node :- Region in atom/molecule where the electron density is zero.

p-p Combination of orbitals :-

Three cases

σ -Bonding Case I :- When both p orbitals have lobes pointing along the axis joining the nuclei. Both a bonding molecular orbital (BMO) and an antibonding molecular orbital (ABMO) are produced.

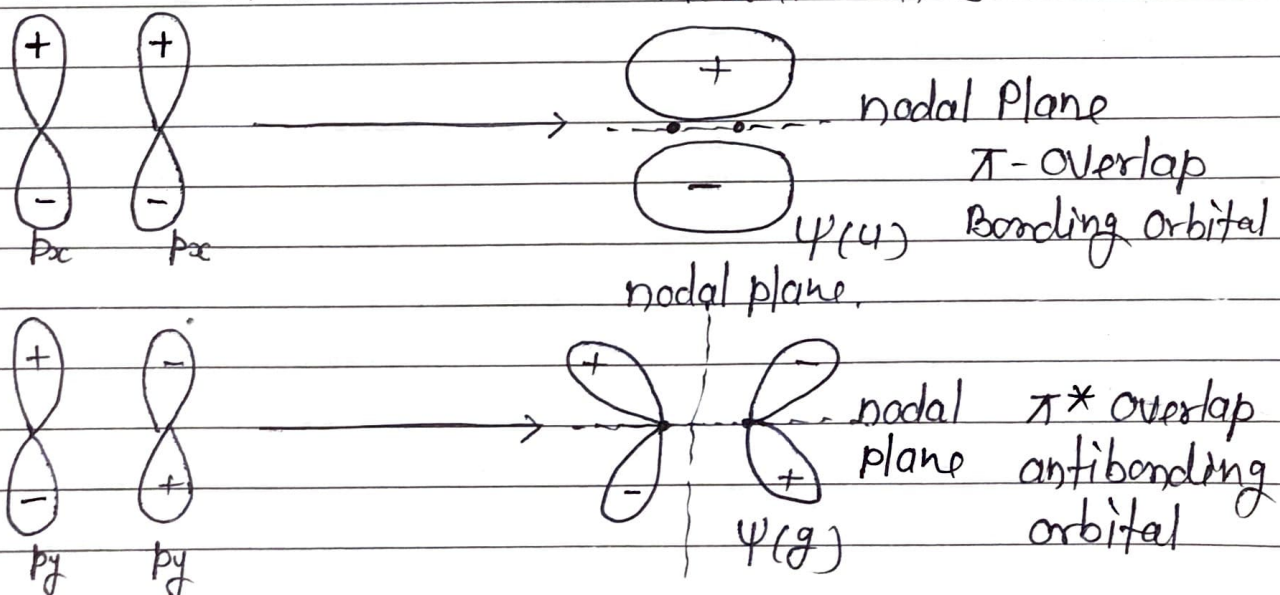


Case II - π -Bonding :-

When both the p-orbitals have lobes perpendicular to the axis joining the nuclei, lateral overlap of orbitals will occur, resulting in π bonding and π^* antibonding MOs being produced.

Atomic Orbitals

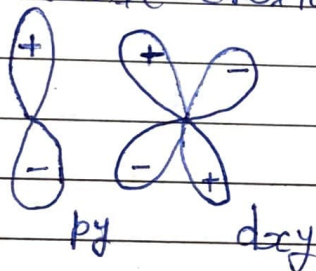
Molecular Orbitals



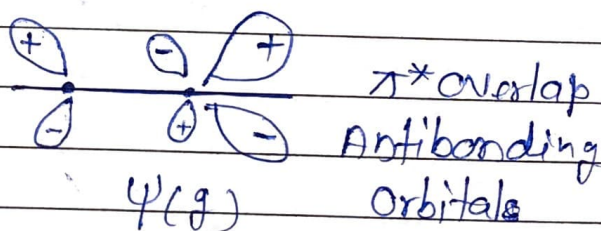
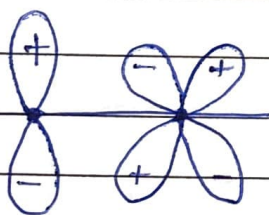
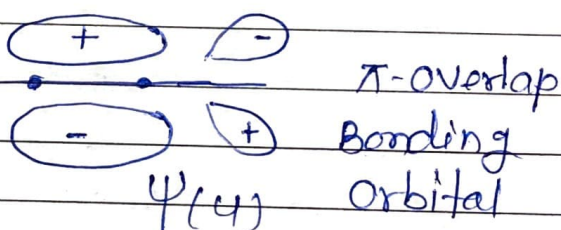
1. Difference Between π overlap and σ -overlap :-
For π -overlap the lobes of the atomic orbitals are perpendicular to the line joining the nuclei, whilst for σ overlap the lobes point along the line joining the two nuclei.
2. For π molecular orbitals, ψ is zero along the internuclear line and consequently the electron density ψ^2 is also zero. This is contrast to σ orbitals.
3. The symmetry of π molecular orbitals is different from that shown by σ orbitals.

p-d Combination of Orbitals :-

Atomic Orbitals



Molecular Orbitals



Non-Bonding Combination of Orbitals :-

Any stabilization which occurs from overlapping + with + is destabilized by an equal amount of overlap of + and - . There is no overall change in energy and this situation is termed as non-bonding eg. s- p_y combination, p_{xz} - d_{yz} combination.

Rules for LCAOs:

Rule 1:- The atomic orbitals must be roughly of the same energy.

Rule 2:- The orbitals must overlap one another as much as possible.

Rule 3:- In order to produce bonding and antibonding MOs either the symmetry of the two atomic orbitals must remain unchanged when rotated about the internuclear line, or both atomic orbitals must change symmetry in an identical manner.

Rules for filling electrons in MOs:

1. The principal quantum number n has the same significance as in atomic orbitals.
2. The subsidiary quantum number l also has the same significance as in atomic orbitals.
3. The magnetic quantum number of atomic orbitals is replaced by a new quantum number λ .
 λ = Quantization of angular momentum
 $\lambda = -l$ to $+l$
 4f $\lambda = 0$ σ orbitals
 $= \pm 1$ π orbitals
 $= \pm 2$ δ orbitals.
4. The spin quantum number is the same as for atomic orbitals and may have values of $\pm 1/2$.

Rules for filling electron in Homonuclear lighter molecules upto N_2 :

